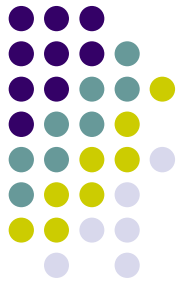


Final Beam Transport Issues

S.Kawata, R.Sonbe, T.Someya, T.Kikuchi, A.I. Ogoyski*

Utsunomiya University, Japan
*Varna Tech. Univ., Bulgaria



1 Final HIB Transport
- Key issues

/ deliver HIBs to Target

2 My question
- Practically possible to control HIB focus point in each shot?

This work was partly supported by JSPS & MEXT, Japan.
At US-Japan workshop 2004

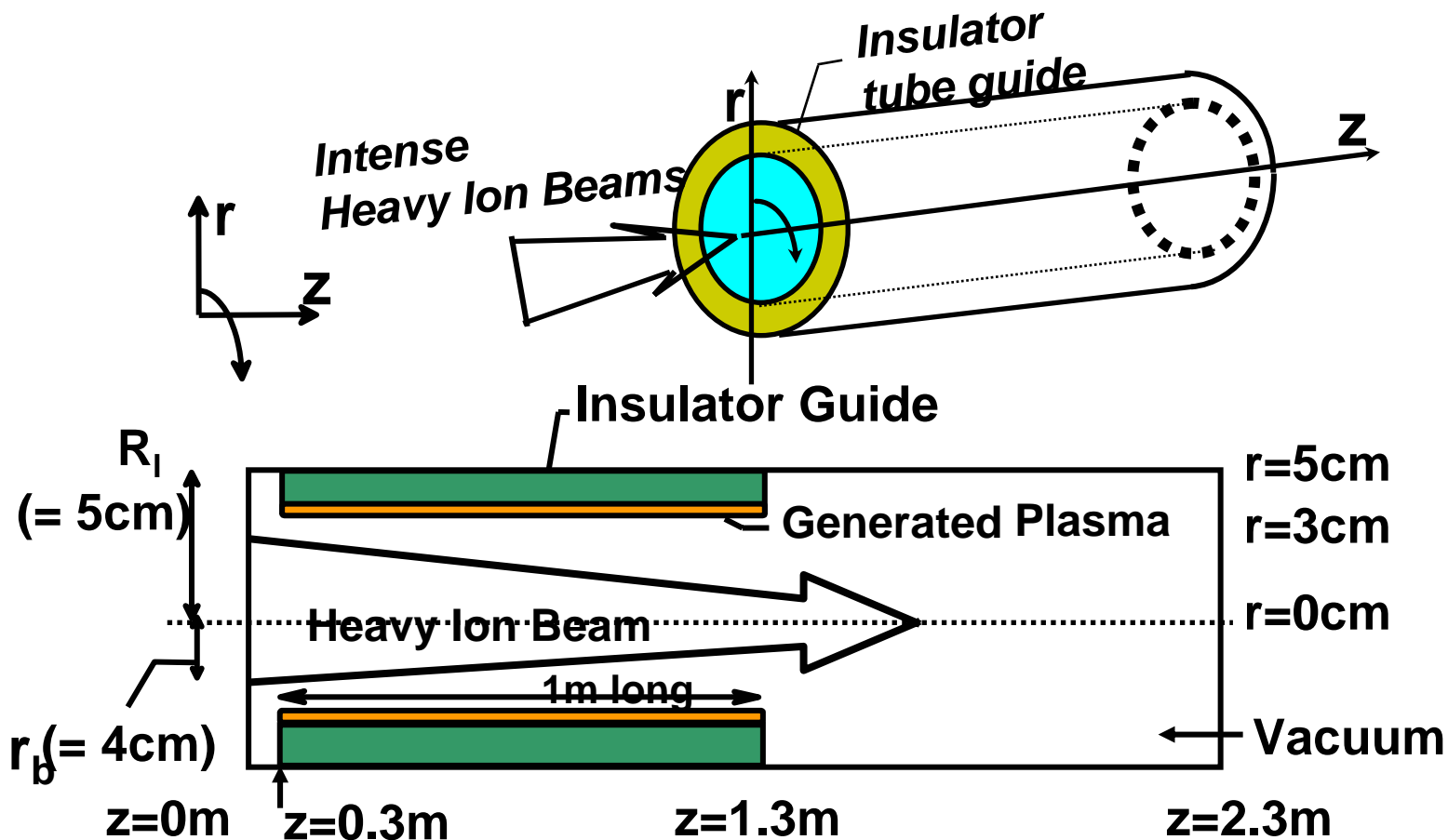
HIB transport through a tube liner

Ceramics guide: S.Kawata, T.Kikuchi, T.Someya, et al.

Beam-pipe electron trapping: W.B. Herrmannsfeldt



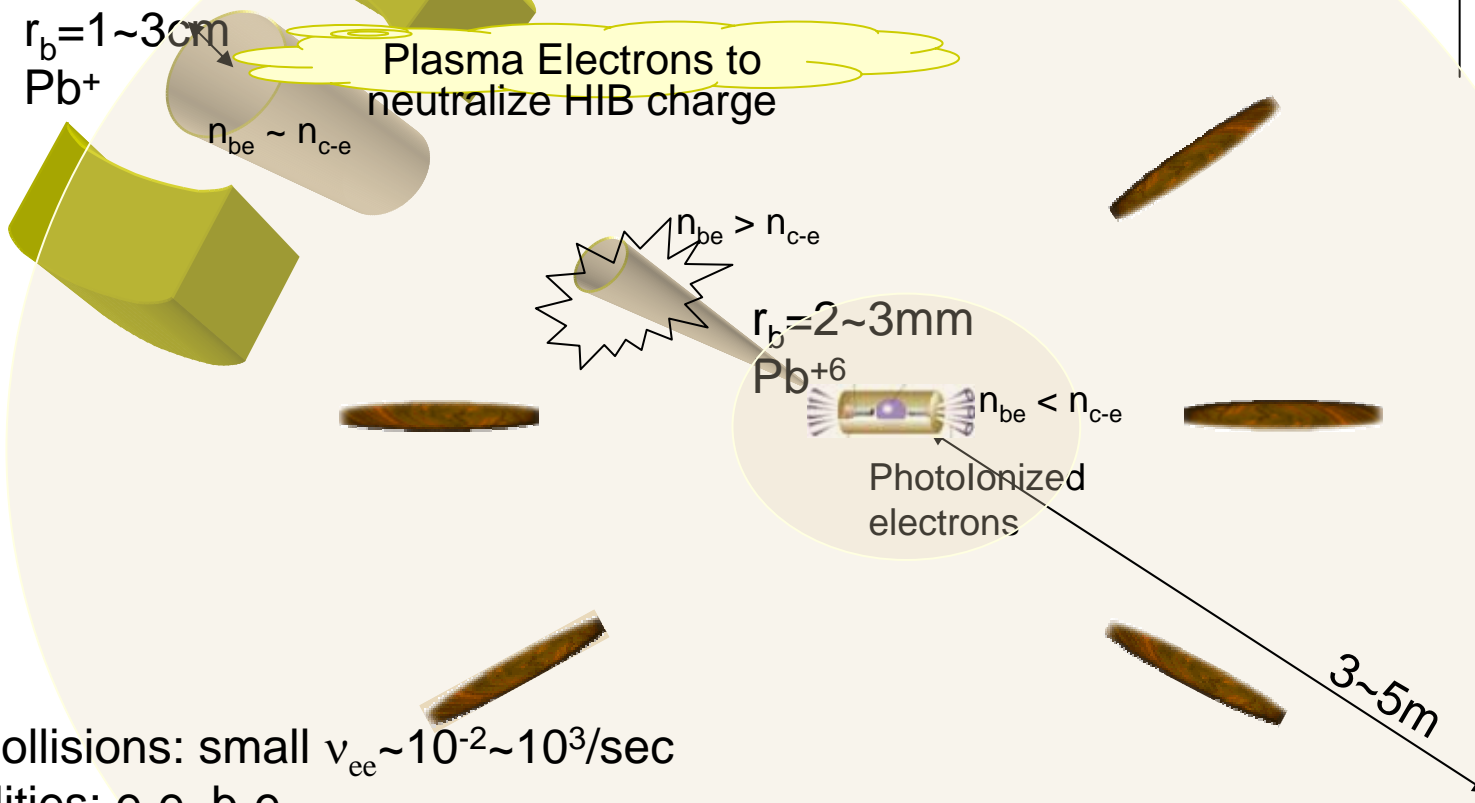
Neutralization of beam space charge



Bunched beam ~ a few 10 nsec

$n_{b0} \sim 10^{12}/\text{cc}$, 4~10GeV, 1~5kA

One of Main Approaches for HIB Final Transport: / Neutralized Ballistic FINAL BEAM TRANSPORT



/e-e Collisions: small $v_{ee} \sim 10^{-2} \sim 10^3/\text{sec}$

/Stabilities: e-e, b-e

/Neutralized beam dynamics at the middle & very end

-> $r_b = 1 \sim 3 \text{ cm} \Rightarrow r_b = 2 \sim 3 \text{ mm}$

-> $n_{b0} \sim 10^{12}/\text{cc} \Rightarrow n_b \sim 10^{14}/\text{cc} \gg n_{ce} \sim 10^{11} \sim 10^{12}/\text{cc}$

-> may induce ambipolar field beam expansion

$n_{c_neutral} \sim 10^{14}/\text{cc}$

$n_{ce} \sim 10^{11} \sim 10^{12}/\text{cc}$

$\tau_{transport} \sim 30 \sim 80 \text{ nsec}$

Neutralized Ballistic FINAL BEAM TRANSPORT



/Neutralized beam dynamics at the very end

-> $r_b = 1 \sim 3 \text{ cm} \Rightarrow r_{b0} = 2 \sim 3 \text{ mm}$

It makes T_e high: $T_e \sim 10 \sim 100 \text{ keV} \leftarrow T_e \sim T_{e0} \times (r_{b0}/r_b)^{4/3} \sim 22 \times T_{e0}$

-> $n_{b0} \sim 10^{12}/\text{cc} \Rightarrow n_b \sim 10^{14}/\text{cc} \gg n_{\text{chamber-e}} \sim 10^{11} \sim 10^{12}/\text{cc}$

-> $\lambda_{Le} \gg r_b$, $\lambda_{\text{Debye-e}} \sim 0.1 \text{ mm} \sim 0.3 \text{ mm} \sim 10\% \text{ of beam radius}$

-> may induce **ambipolar field** beam expansion

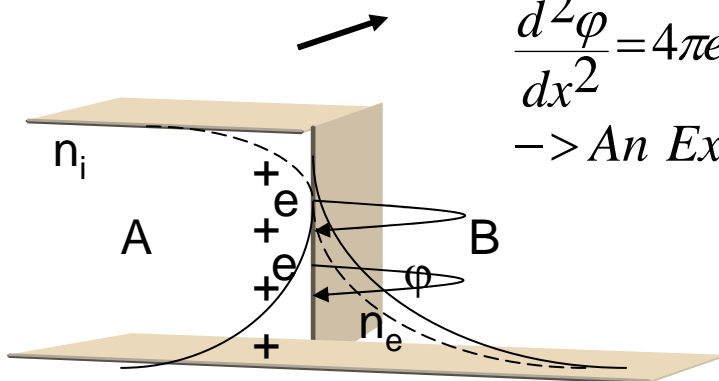
$$\frac{d^2\phi}{dx^2} = 4\pi e(n_e - n_i) \approx 4\pi n_0 e \left(e^{\frac{e\phi}{T}} - 1 \right) \text{ for Region A}$$

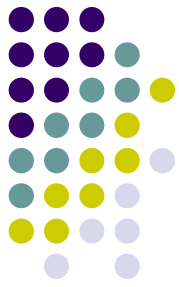
Here we can assume $n_e \sim n_i$ in A

$$\frac{d^2\phi}{dx^2} = 4\pi e(n_e) \approx 4\pi n_0 e \left(e^{\frac{e\phi}{T}} \right) \text{ for Region B}$$

$(r > r_b)$

-> An Exact solution for this nonlinear Eq.:





$$e\phi = T[1 - 2 \ln\{1 + \sqrt{\frac{\exp}{2}} k_{De} r\}]$$

$$\rightarrow qE = Z_b T k_{De} \left[\frac{2\sqrt{\exp/2}}{1 + \sqrt{\exp/2}(k_{De} r)} \right] \quad \text{for } r > r_b$$

At the beam surface

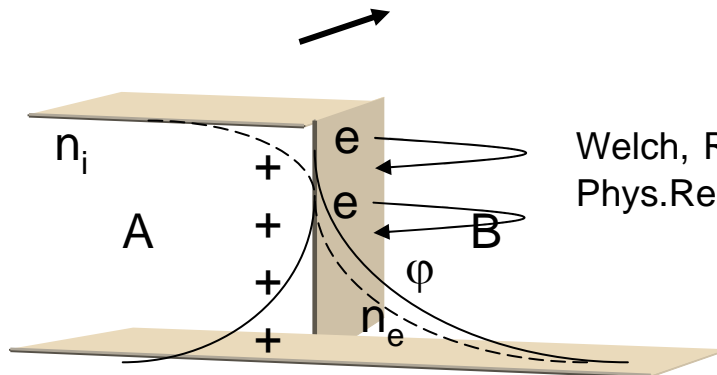
$$Z_b e E [\text{eV/cm}] \sim 1.35 \times 10^{-3} Z_b (n_e T_e)^{1/2} [\text{eV}] \sim (2 \text{ MeV/cm} \sim 10 \text{ MeV/cm})$$

At the middle stage

$$\theta = V_{\perp} / V_{\parallel} \sim \sqrt{\varepsilon_{\perp} / \varepsilon_{\parallel}} \sim [(3 \sim 100 \text{ keV}) / (4 \sim 10 \text{ GeV})]^{1/2} \sim (0.001 \sim 0.005)$$

for 100cm transport $\delta r \sim 1 \sim 5 \text{ mm}$ Increase in r_{bf}

-> may be serious.



Welch, Rose, et al., NIM in Phys.Res.A 464(2001)134

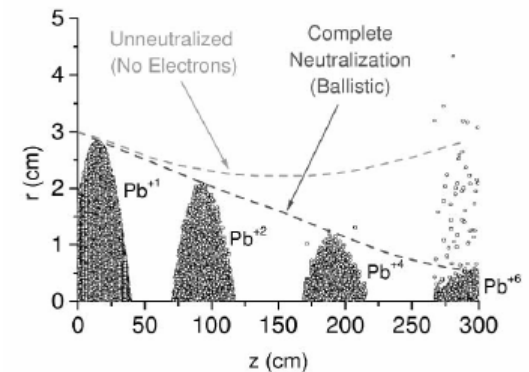


Fig. 3. Beam ions at four different times are plotted for case 2. At each time, the dominant beam charge state is shown. Curves for the peak beam radius as a function of distance are shown for a ballistic simulation and one without electron sources.



$$e\phi = T \left[1 - 2 \ln \left\{ 1 + \sqrt{\frac{\exp}{2}} k_{De} r \right\} \right]$$

$$\rightarrow qE = Z_b T k_{De} \left[\frac{2\sqrt{\exp/2}}{1 + \sqrt{\exp/2}(k_{De}r)} \right] \quad \text{for } r > r_b$$

After integration of qE between r_b and $r_b + \lambda_{De}$

\rightarrow

$$\mathcal{E}_\perp \propto Z_b \sqrt{\frac{1}{N_{be}} \frac{T_e^{1.5}}{r_b}} \quad \text{for } \lambda_{Debye-e} < r$$

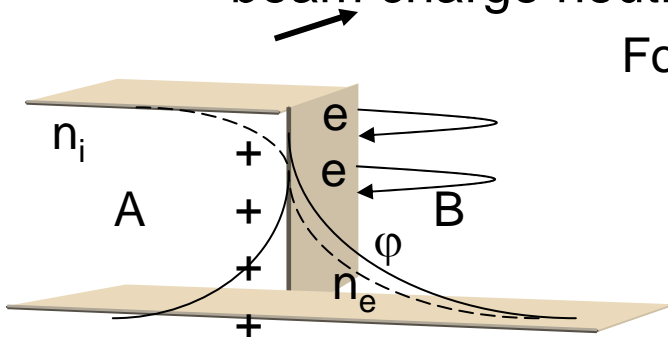
$$\rightarrow \varepsilon_\perp / \varepsilon_\parallel \sim (3 \sim 100 \text{keV}) / (4 \sim 10 \text{GeV})$$

 If $n_{be} \ll n_{\text{chamber-e}}$, NO problem for the ambipolar expansion.
 Mainly chamber background electrons contribute
 beam charge neutralization.

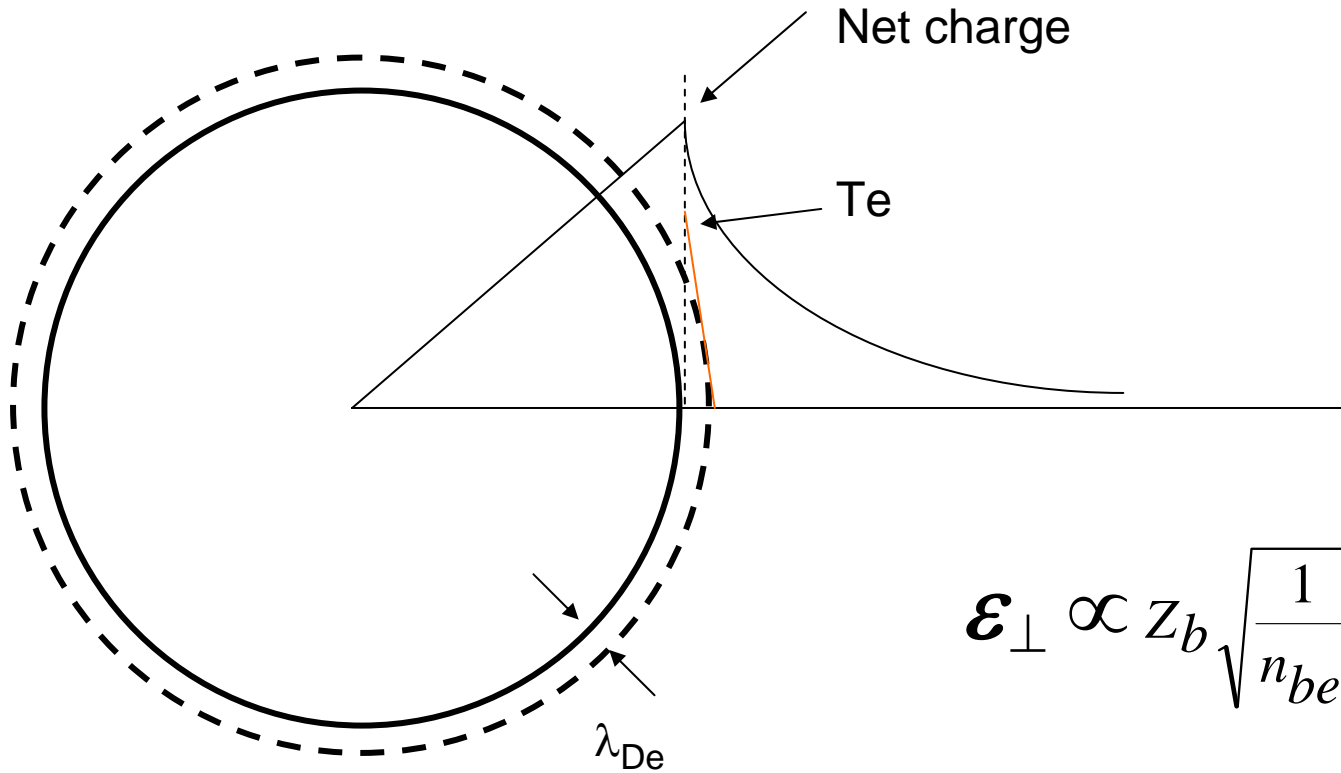
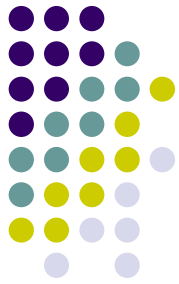
For example: $T_e = 10 \text{eV}$, $n_e = 10^{14} / \text{cc}$, $Z_b = 5$

$$\lambda_{De} \sim 1.4 \times 10^{-4} \text{cm}$$

$$\varepsilon_\perp \sim 0.05 \text{eV} \quad \text{Well neutralized!}$$



Difference between Coulomb divergence & Ambipolar divergence



$$\mathcal{E}_{\perp} \propto Z_b \sqrt{\frac{1}{n_{be}}} \frac{T_e^{1.5}}{r_b}$$

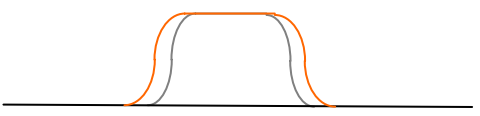


If we have low- T_e electrons together with high- T_e neutralizing electrons, low- T_e electrons dominates the charge neutralization.

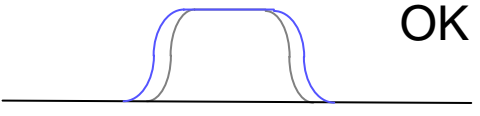
$$\mathcal{E}_\perp \propto Z_b \sqrt{\frac{1}{n_{be}} \frac{T_e^{1.5}}{r_b}}$$

$$T_{effective} = \frac{1}{\frac{1}{T_{low}} + \frac{1}{T_{high}}} \approx T_{low} \quad \text{for } N_{e_hot} \sim N_{e_low}$$

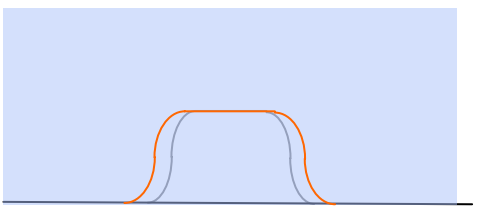
Therefore if HIB is surrounded by low-temperature electrons,
NO PROBLEM!



Dangerous

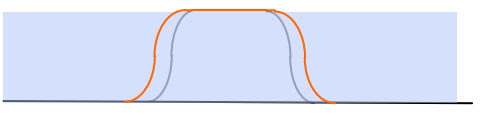


OK

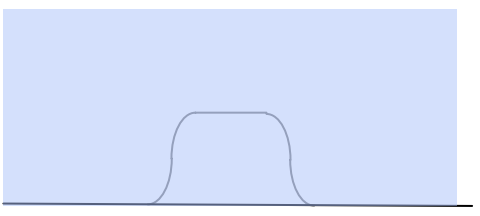


OK

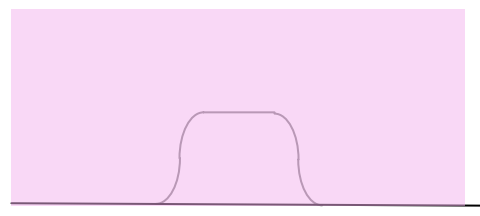
$$\mathcal{E}_{\perp} \propto Z_b \sqrt{\frac{1}{n_{be}} \frac{T_e^{1.5}}{r_b}}$$



OK

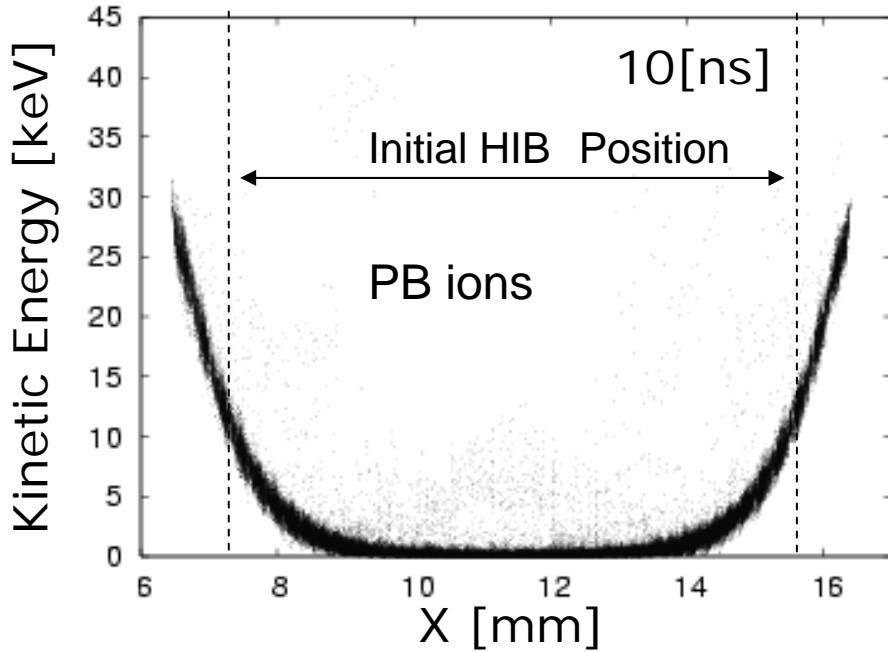
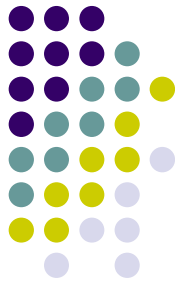
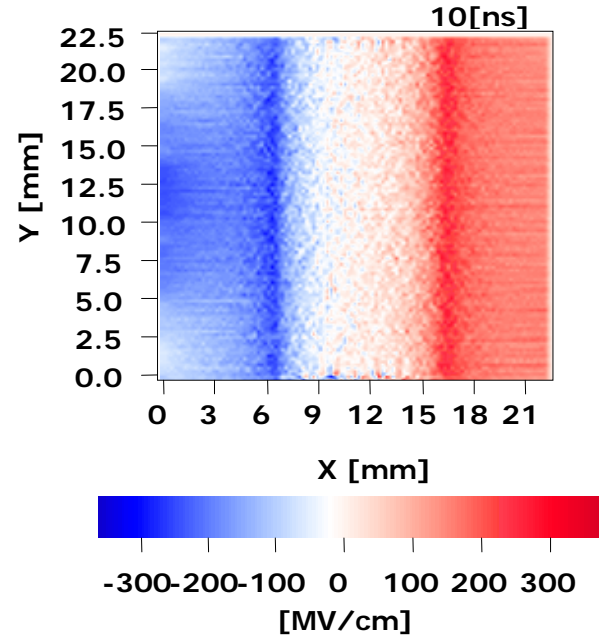
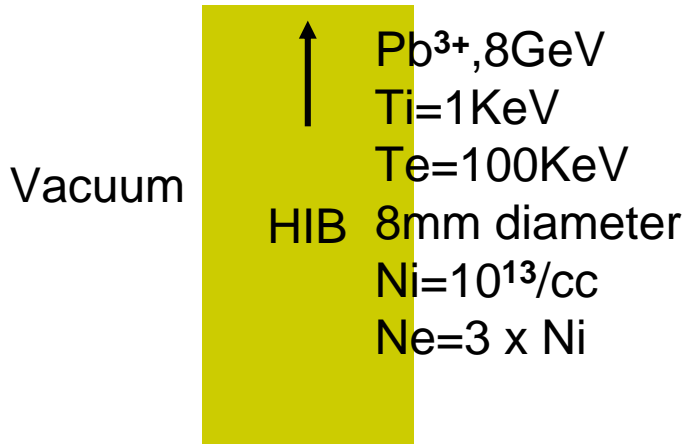


OK

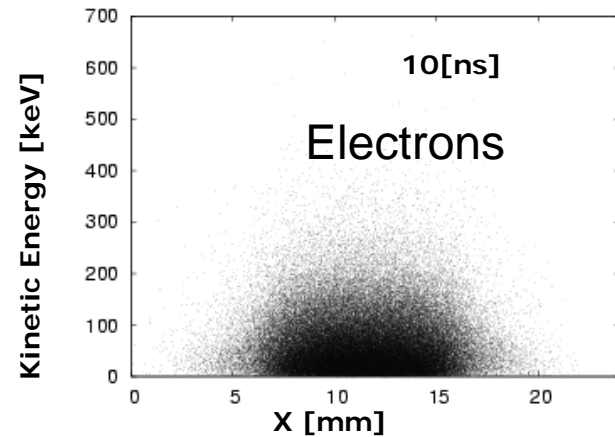


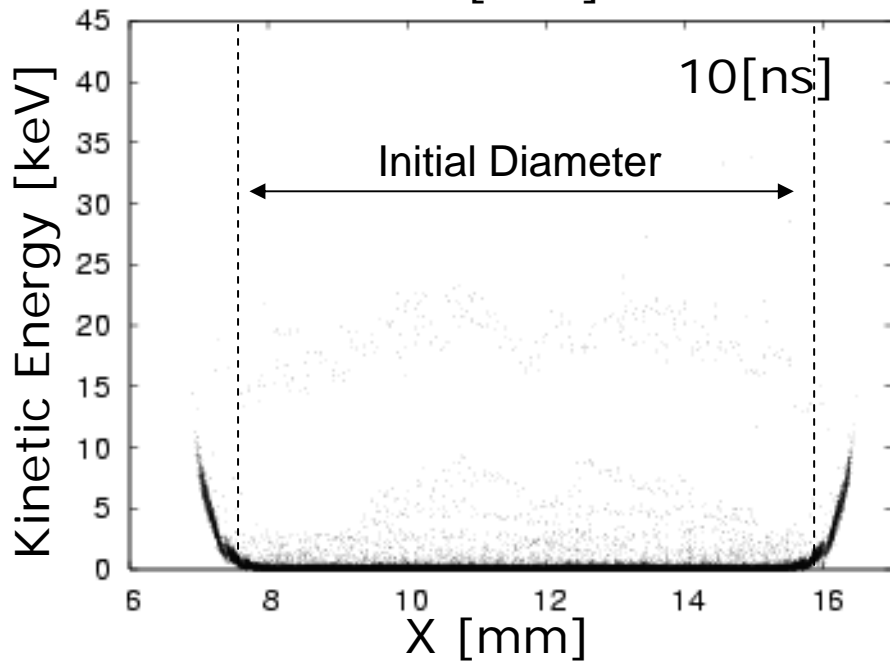
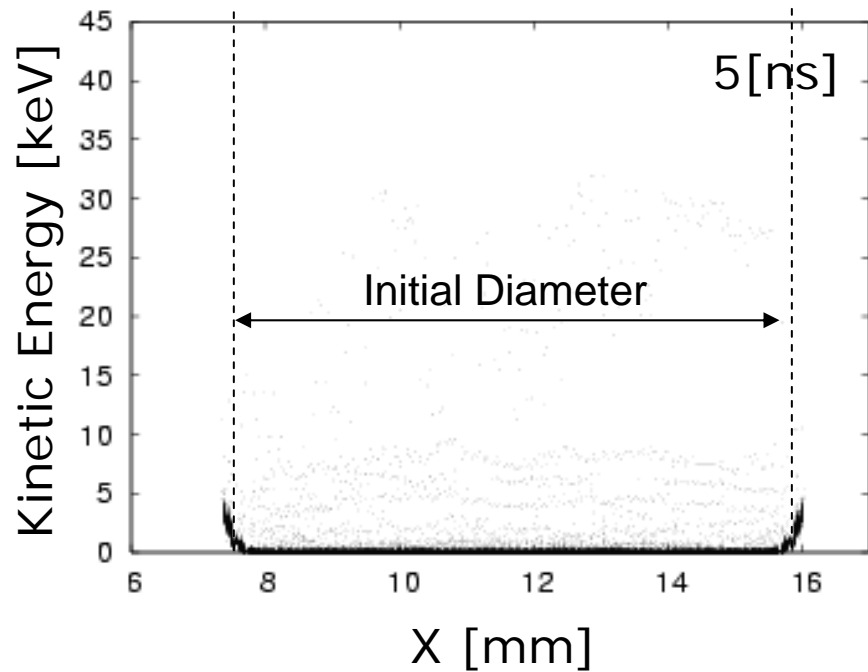
OK

PIC Simulation



Strong E-field generated by high-T electrons pulls Pb ions out!

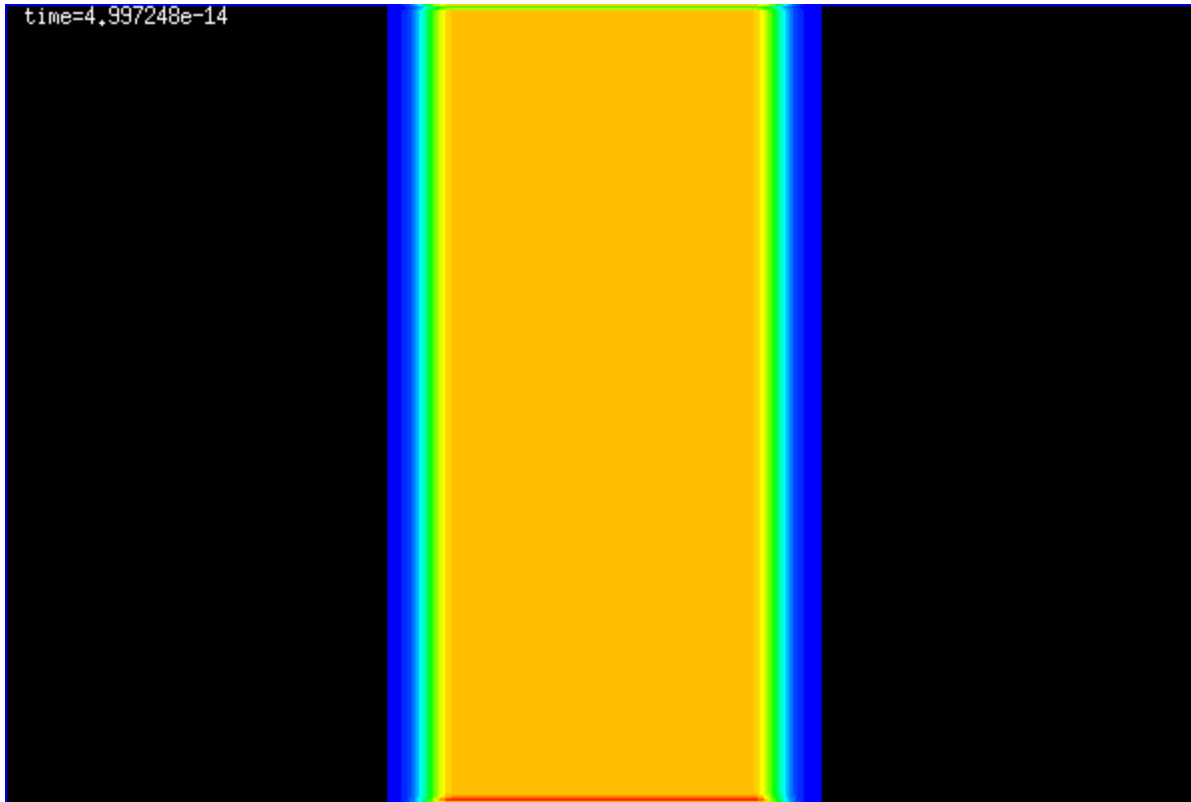




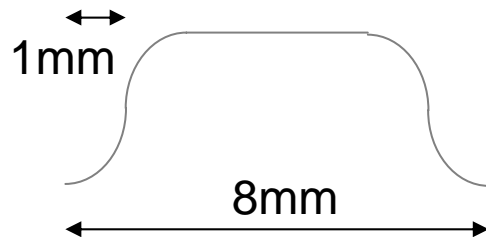
for $T_e=10\text{KeV}$



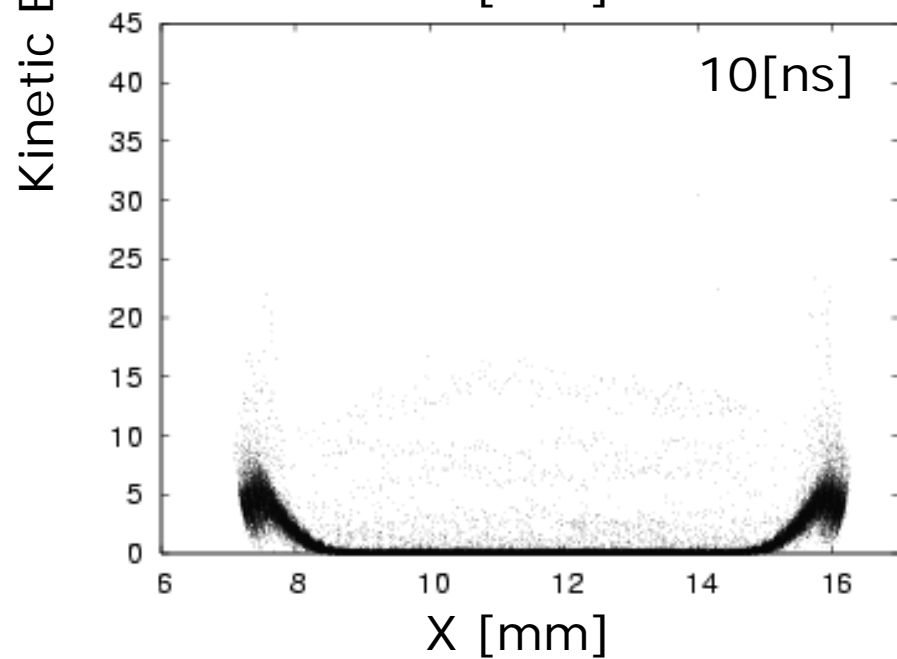
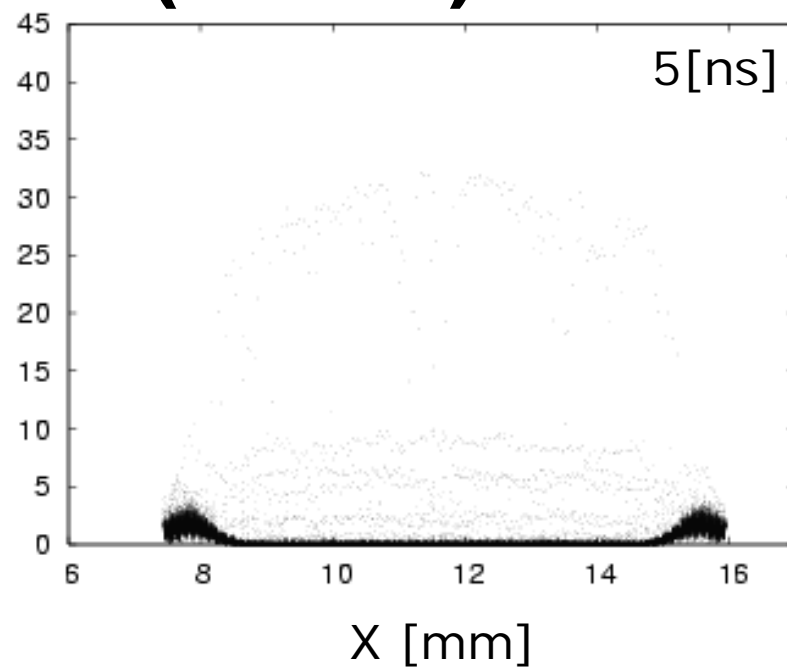
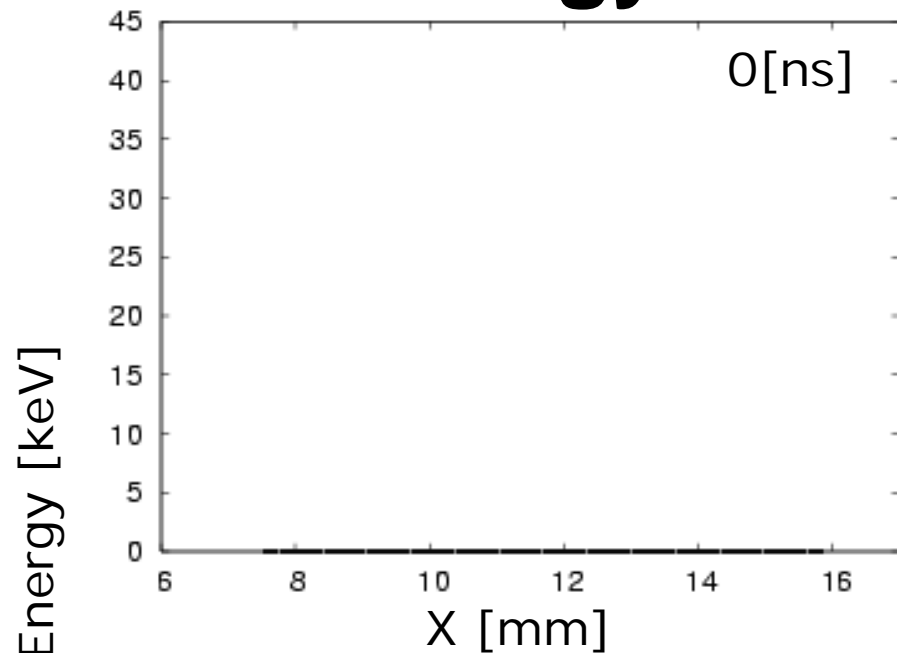
Initial Density Distribution (10keV)



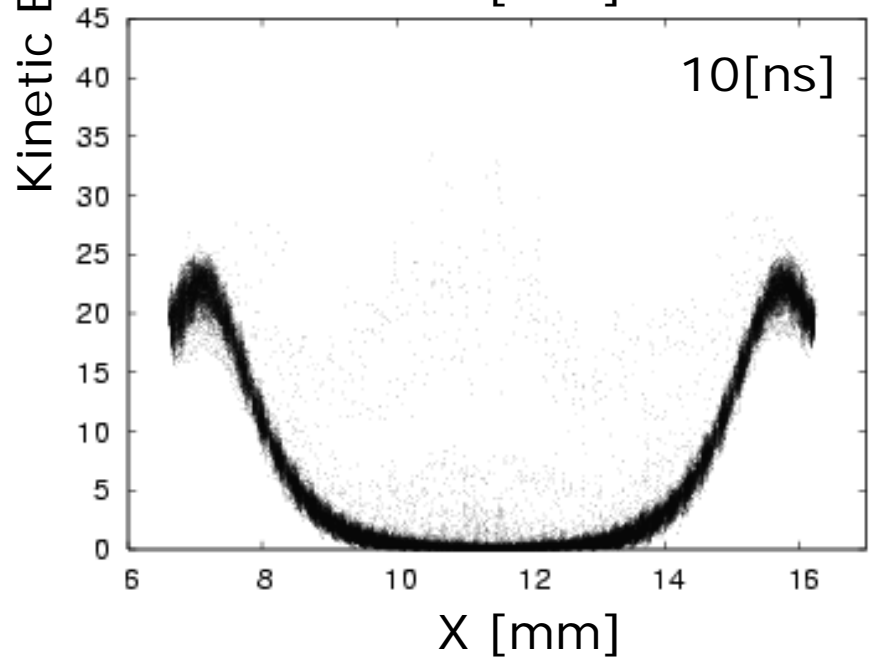
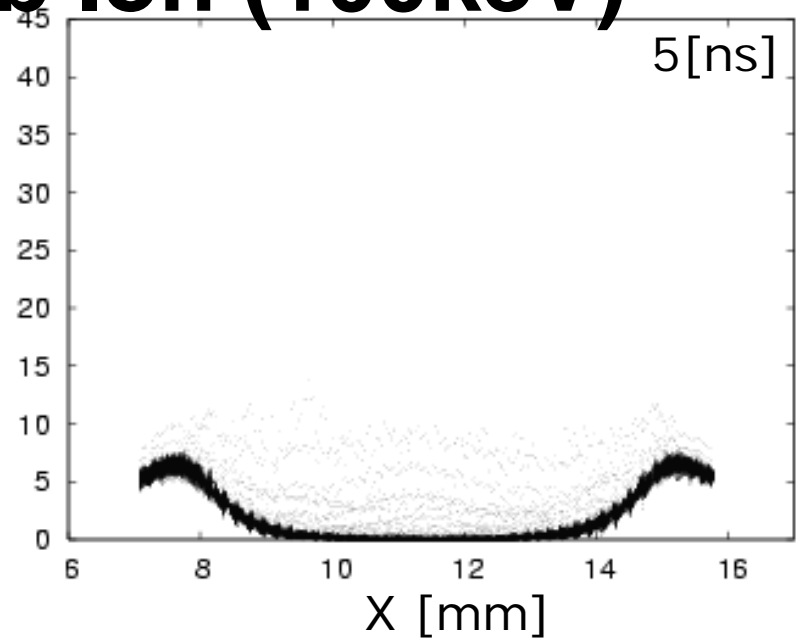
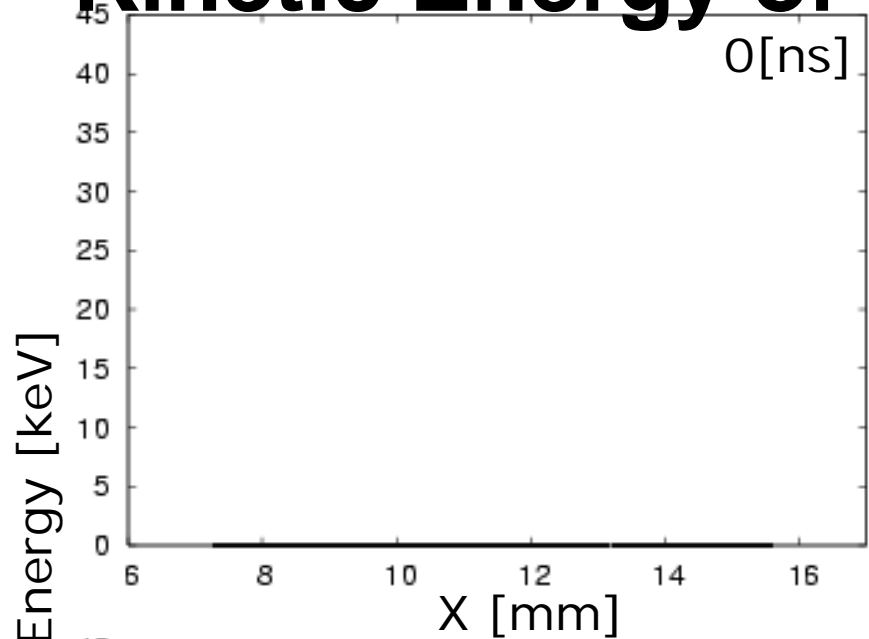
Pb³⁺, 8GeV
Ti=1KeV
Te=100KeV
8mm diameter
Ni=10¹³/cc
Ne=3 x Ni



Kinetic Energy of Pb Ion (10keV)



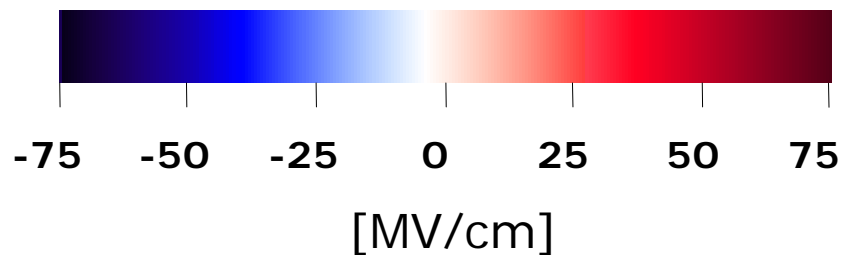
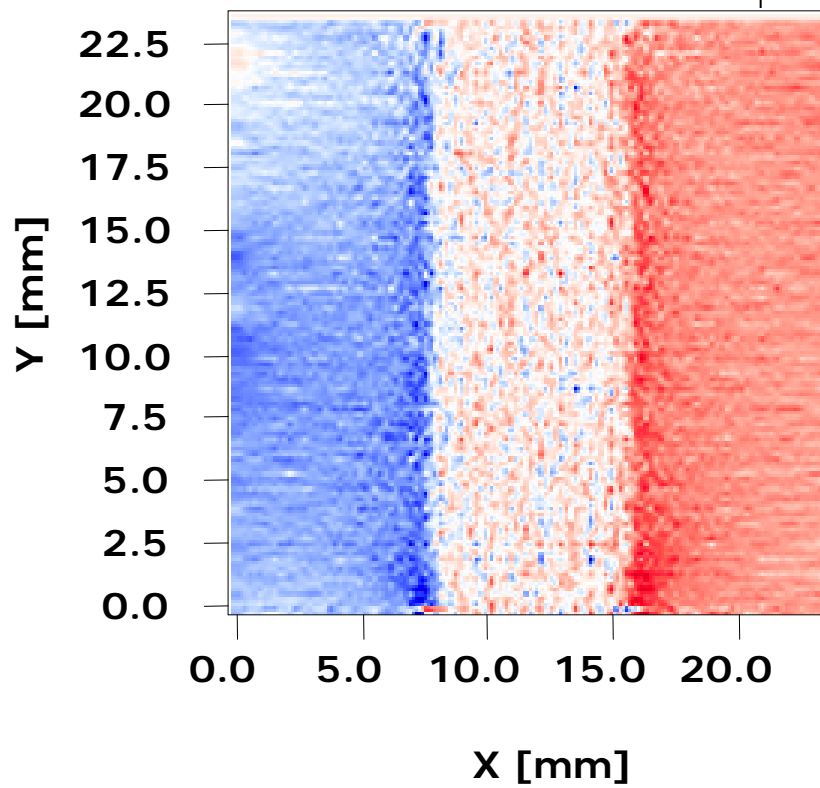
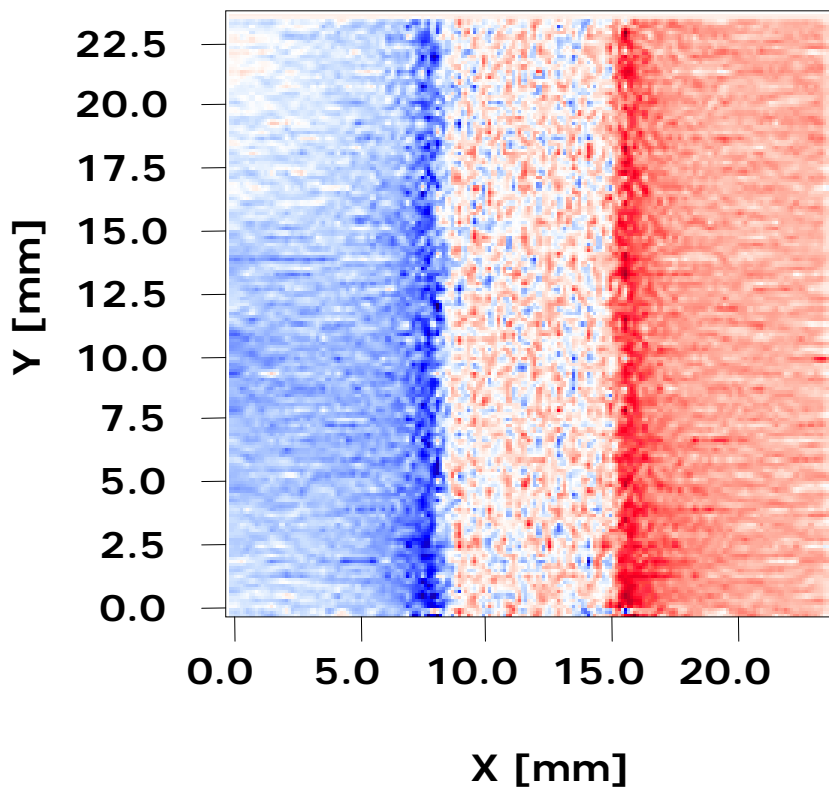
Kinetic Energy of Pb Ion (100keV)



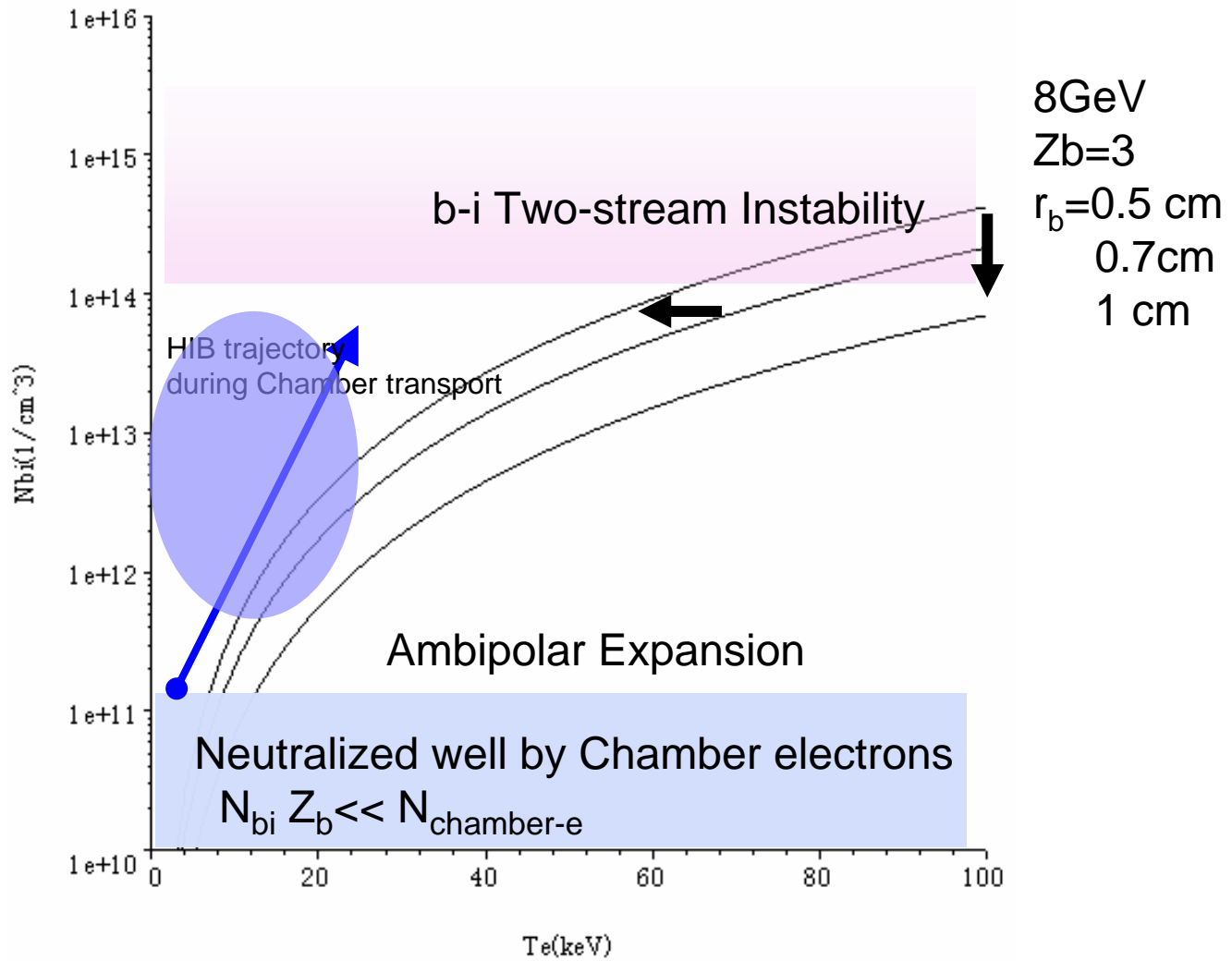
Electric Field 10keV

5[ns]

10[ns]



Transport Window in Neutralized Ballistic Transport (NBT) against Ambipolar-Field Expansion & Beam-Chamber Electron Two-stream Instability





Possible solutions:

1) Neutralized ballistic transport

with careful chamber density control and
with careful beam co-moving electron temperature control

/ Lower electron temperature $\rightarrow T \rightarrow$ Cool electron supply

$N_{be|cold} > N_{ce|hot}$ at the middle stage!

/ Suppress charge stripping & Low $I_b \rightarrow$

$Z_b, n_{be} \rightarrow$ Low chamber gas density / pressure

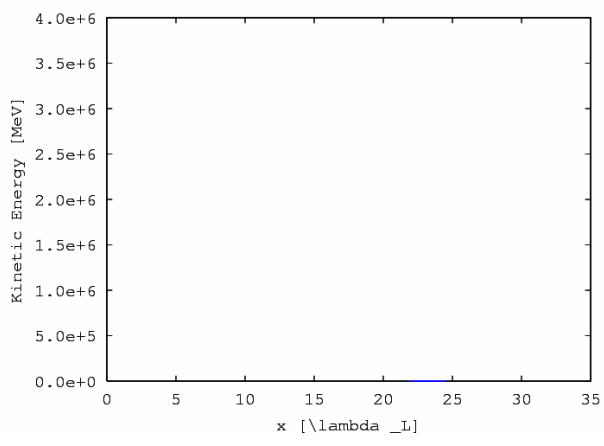
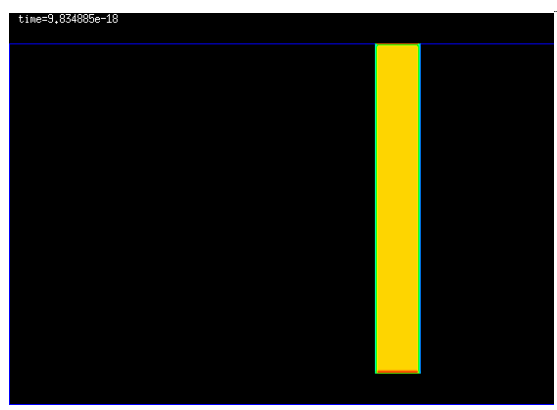
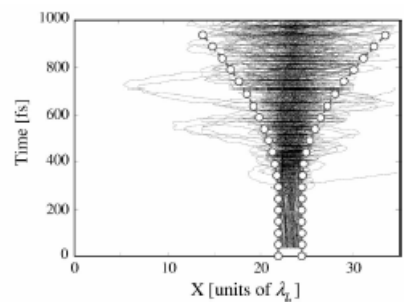
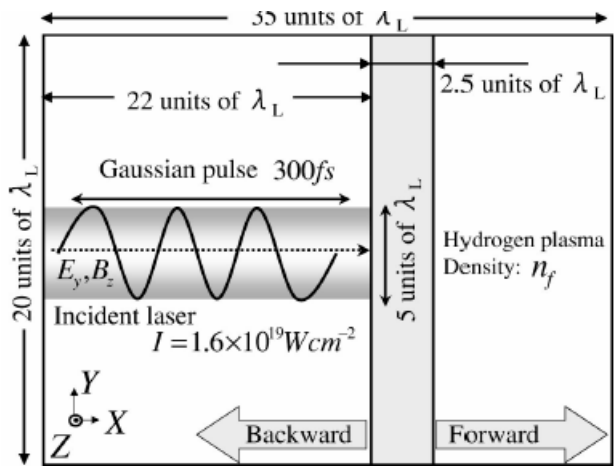
But high enough for charge neutralization

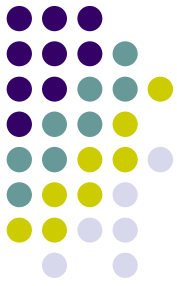
2) Through High density chamber plasma $n_{be} < n_{chamber-e}$ for all region

/ can avoid ambipolar field expansion

/ instability analyses

/ blast wave interactions with a liquid wall, ...





Conclusions:

1. Deliver HIBs to a furel target!
2. My question
 - Practically possible to control HIB focus point in each shot?

Acknowledgements:

**This work was partly supported by JSPS & MEXT, Japan.
We would like to express our appreciations to Colleagues & Friends
in VNL, USA & Japan.**